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## Economic drivers

**Input and output prices**  
**Adjustment under ITQs**



# Outline

- Question being examined
  - How are fishers likely to adjust their fishing operations under ITQs?
- Methodologies to look at the issue
  - Cost functions
  - Profit functions
- Case study
  - Northern prawn fishery



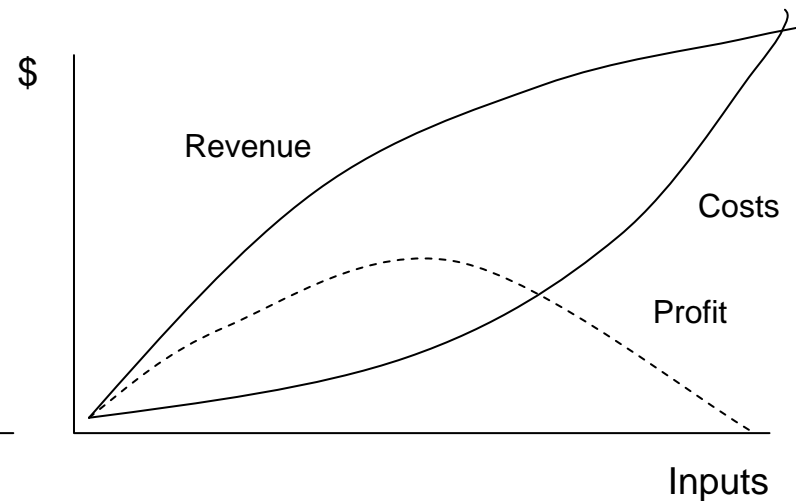
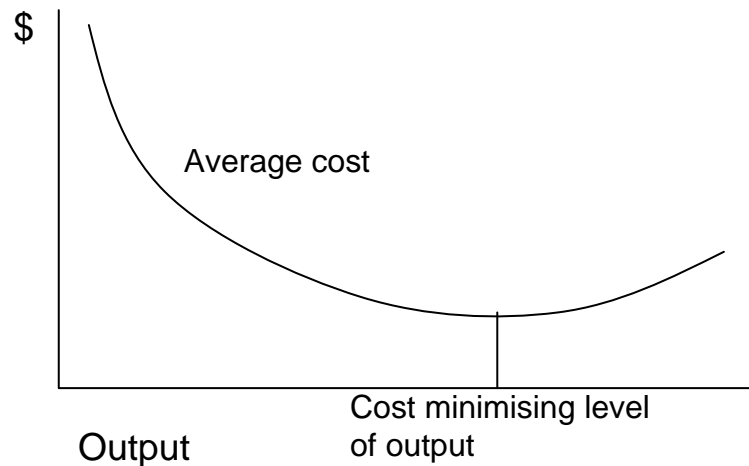
# Adjustment under ITQs

- Incentives under ITQs different to open access
  - Race to fish provides incentives for larger, more powerful vessels in order to increase share of the output
  - Removing ITQs allows fishers to
    - Adjust quota holding and effort levels to maximise profits for a given vessel in the short term, and
    - Change their vessels in order to maximise profits in the longer term
- The direction of change will depend on a number of factors
  - Output prices and expectations of output prices
  - Input prices and expectations of input prices
  - Availability of quota

# Methods to look at these

- **Cost functions**

- Can be used to estimate the cost minimising level of catch
- Takes into account costs of production, but not the prices for the outputs



- **Profit functions**

- Takes into account both input and output prices
- Derive optimal input use and output levels

# Cost function estimation

- Translog cost function

$$\ln C = \beta_o + \sum_i^n \alpha_i \ln w_i + \frac{1}{2} \sum_i^n \sum_j^n \alpha_{ij} \ln w_i \ln w_j + \beta_y \ln y + \frac{1}{2} \beta_{yy} (\ln y)^2 + \sum_i^n \beta_{iy} \ln w_i \ln y + \varepsilon$$

- Share equations

$$S_i = \alpha_i \ln w_i + \sum_j^n \alpha_{ij} \ln w_j + \beta_{iq} \ln Q + \varepsilon$$

- Homogeneity conditions

$$\sum_i^n \alpha_i = 1, \sum_i^n \alpha_{ij} = 0, \text{ and } \sum_i^n \beta_{iy} = 0$$

- Solve using restricted SUR

- Minimum costs when returns to scale = 1

$$RTS = 1/(\partial C / \partial Y) = 1/(\beta_y + \beta_{yy} \ln Y + \sum_i \beta_{iy} \ln w_i)$$

# Profit function approach

## General form

$$\begin{aligned}\ln \pi = & \alpha_0 + \sum_i \alpha_i \ln P_i + \frac{1}{2} \sum_{i \neq j} \sum_{j \neq i} \alpha_{ij} \ln P_i \ln P_j + \sum_i \alpha_{ii} \ln^2 P_i + \\ & \sum_k \beta_k \ln Z_k + \sum_{k \neq l} \sum_{l \neq k} \beta_{kl} \ln Z_k \ln Z_l + \sum_k \beta_{kk} \ln^2 Z_k + \sum_i \sum_k \beta_{ik} \ln P_i \ln Z_k \\ & \gamma_i t + \gamma_{tt} t^2 + \sum_i \gamma_i \ln P_i t + \sum_k \gamma_k \ln Z_k t\end{aligned}$$

- Share equations

$$S_i = \alpha_i + 2\alpha_{ii} \ln P_i + \sum_{j \neq i} \alpha_{ij} \ln P_j + \sum_k \beta_{ik} \ln Z_k + \gamma_i t$$

- Homogeneity conditions

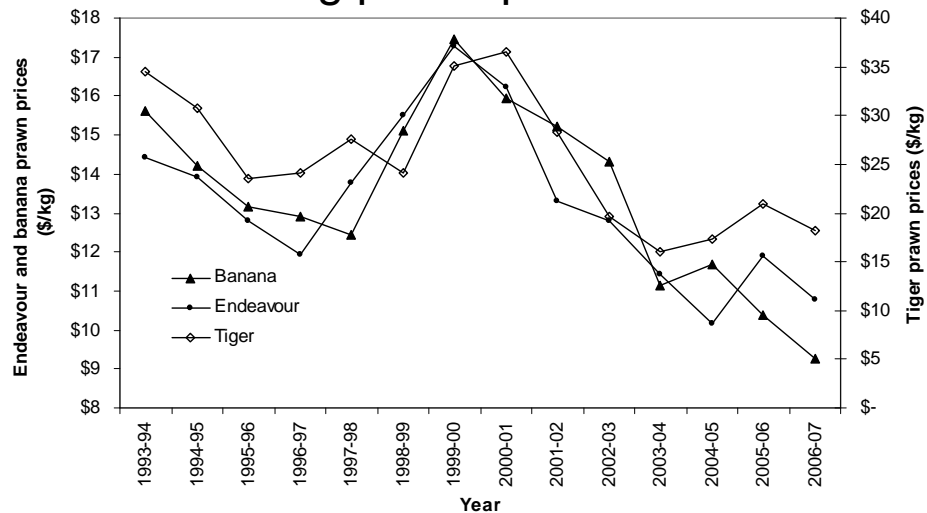
$$\sum_i \alpha_i = 1 \quad \sum_i \alpha_{ij} = 0 \quad \sum_i \beta_{ik} = 0 \quad \sum_i \gamma_i = 0$$

- Estimate using restricted SUR

$$S_i = P_i Q_i / \pi \quad \Rightarrow \quad Q_i = \pi S_i / P_i$$

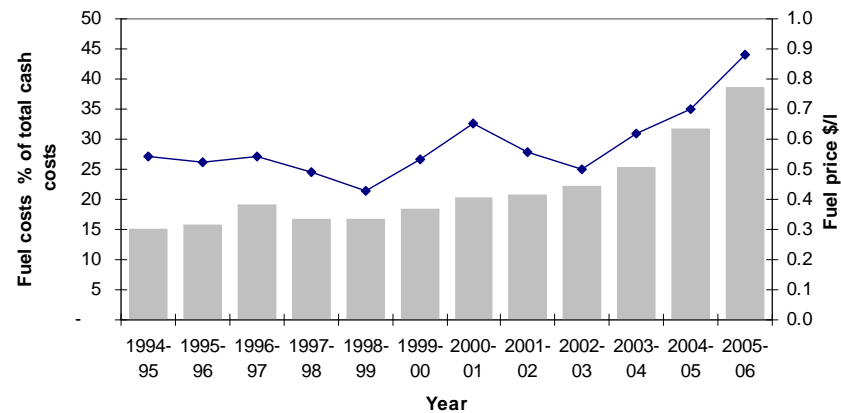
# Northern prawn fishery example

## Declining prawn prices



Plan to move to ITQs in 2010.  
Incentives to adjust catches,  
effort levels and vessel size to  
maximise profits

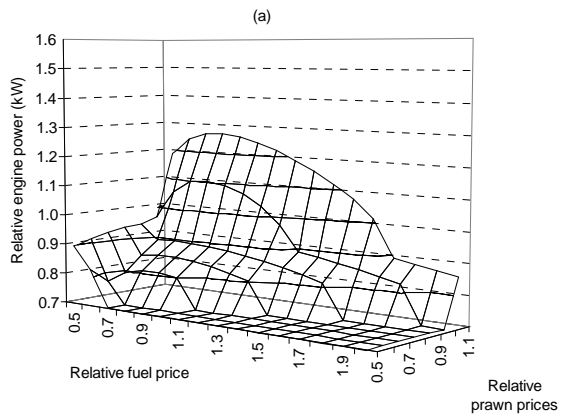
## Increasing fuel prices



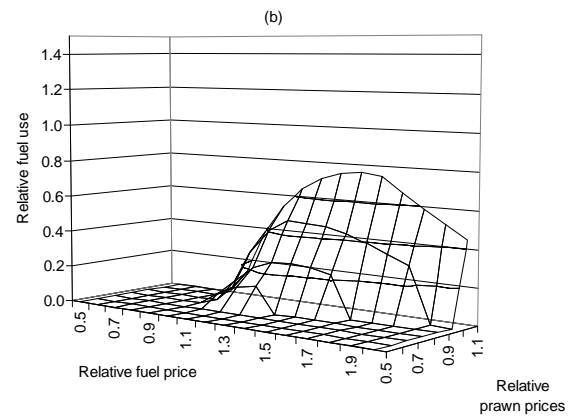
■ Fuel costs as a proportion of total cash costs % ◆ Offroad diesel price \$/l

# Optimal input use and catches

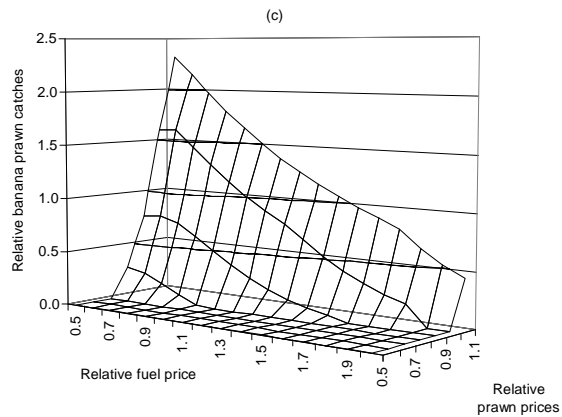
## Engine power



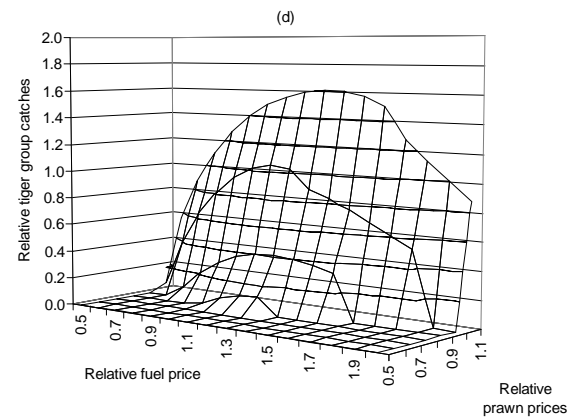
## Fuel use



## Banana prawn catch



## Tiger prawn catch





# Key assumptions and main points of results

- **Key assumptions**

- Tiger prawn stocks 27% higher at MEY; banana prawn stocks average
- Restrictions on headrope length removed (increases it only 4% above average)

- **Key results**

- Larger (than current average) boats only more profitable with low fuel costs or high prawn prices
- For all price combinations, it is worth reducing fishing effort
- Optimal banana prawn catch is more sensitive to fuel prices than prawn prices
- Optimal tiger prawn catch more sensitive to prawn prices

- **With high fuel prices and average prawn prices ...**

- A profit maximising fleet is likely to consist of smaller vessels that individually fish less, take fewer banana prawns and slightly fewer tiger prawns

# Summary

- Assumptions of profit maximising behaviour allows us to predict how fishers may behave in light of changing economic conditions.
- This is only likely to be valid under conditions of ITQs
  - Under regulated open access the incentives are altered substantially
- Both profit and cost functions can be used to provide a guide as to how the fleet may look under future bioeconomic conditions